

## ComplexBF

---

Support for ComplexBF arbitrary precision number arithmetic in JavaScript. Require BigFloat.js as the based of the ComplexBF packages. BigFloat.js delivered the underlying arbitrary precision arithmetic that is the based of the ComplexBF packages. To get acquainted please read the BigFloat JavaScript package document.

### Constructor

```
new ComplexBF(real,imaginary) // Constructor
ComplexBF(value)             // Conversion
```

### Arguments

*real*            The real part of a ComplexBF number  
*imaginary*      The imaginary part of a ComplexBF number

If the imaginary argument is omitted it is treated as zero  
 If there are no arguments it is treated as a ComplexBF zero  
 If *ComplexBF* is invoked as a conversion the value parameter is converted to a *ComplexBF number* and returned.

### Returns

Returns a ComplexBF object initialize with the real and imaginary value. If *ComplexBF* is invoked as a conversion the *value* parameter is converted to a *ComplexBF number* and returned. If *value* is another ComplexBF number then that is returned if *value* is undefined a *ComplexBF.zero* is returned.

### Properties

*abs*            Return the magnitude of a ComplexBF number  
*arg*            Return the angle of the polar representation of the ComplexBF number.  
*conj*          Return a new Conjugated ComplexBF object.  
*imag*          return the Imaginary part of the ComplexBF number.  
*negate*        Return a new Negated ComplexBF Object.  
*norm*          Return the norm of the ComplexBF number.  
*real*          Return the real part of the ComplexBF number.  
*toExponential* Converts a ComplexBF number to a string using exponential notation with the specified number of digits after tge Decimal place.  
*toFixed*        Converts a ComplexBF number to a string that contains a specified number of digits after the decimal place.  
*toPrecision*   Convert a ComplexBF number to a string using the specified number of precision digits. Uses exponential or fixed point notation depending on the size of the number and the number of significant digits specified.  
*toString*      Convert a ComplexBF number to a string using a specified radix(base)  
*valueOf*        The primitive real number value of this ComplexBF number object.

## Methods

abs()	Return the magnitude of a ComplexBF number
add()	Return the addition of two ComplexBF numbers
acos()	Return arc cosine of the ComplexBF number
acosh()	Return the arc cosine hyperbolic of the ComplexBF number
asin()	Return the arcsine of the ComplexBF number
asinh()	Return the arc sine hyperbolic of the ComplexBF number
atan()	Return the arc tangent of the ComplexBF number
atanh()	Return the arctangent hyperbolic of the ComplexBF number
beta()	Return the beta function of a ComplexBF number
cos()	Return cosine of the ComplexBF number
cosh()	Return the cosine hyperbolic of the ComplexBF number
div()	Return the division of two ComplexBF numbers.
equal()	Return the Boolean value (true, false) of the equality of two ComplexBF numbers.
exp()	Return the ComplexBF power of e.
gamma()	Return the gamma function of a ComplexBF number
lgamma()	Return the logarithm of the gamma function of a ComplexBF number
log()	Return the ComplexBF natural logarithm.
log10()	Return the ComplexBF base 10 logarithm.
mul()	Return the product of two ComplexBF numbers.
polar()	Return the ComplexBF number of the polar representation.
pow()	Return the ComplexBF power of $x^y$ .
sin()	Return the sine of the ComplexBF number
sinh()	Return the sine hyperbolic of the ComplexBF number
sub()	Return the difference between two ComplexBF numbers.
sqrt()	Return the ComplexBF square root.
tan()	Return the tangent of the ComplexBF number
tanh()	Return the tangent hyperbolic of the ComplexBF number

## Constants

zero	return a new ComplexBF(0,0) object
one	return a new ComplexBF(1,0) object
i	return a new ComplexBF(0,1) object

## Miscellaneous

parseComplexBF()	Parse a ComplexBF float number string
------------------	---------------------------------------

**ComplexBF.abs()**

---

Return the absolute magnitude of the ComplexBF number

**Synopsis**

*ComplexBF object.abs()*

**Returns**

The magnitude of the ComplexBF number is returned. Special calculation are made to prevent intermediate result to overflow.

**Example**

```
var z = new ComplexBF( 3, 4 );  
z.abs()           // result 5
```

**See Also**

ComplexBF.norm()

**ComplexBF.arg()**

---

Return the angle of the polar representation of the ComplexBF number

**Synopsis**

*ComplexBF object.arg()*

**Returns**

Return the angle in radians of the polar representation of the ComplexBF number

**Example**

```
var z = new ComplexBF( 3, 4 );  
z.arg()           // result 0.927295...
```

**See Also****ComplexBF.add()**

---

Add two ComplexBF numbers

**Synopsis**

ComplexBF.add(a,b)

### Arguments

*a,b*            The ComplexBF numbers to be added.

### Returns

The result of the ComplexBF addition.

### Example

```
var z = new ComplexBF( 3, 4 );
var y=new ComplexBF(1,2);

ComplexBF.add(z,y)            // result (4+i6)
```

### See Also

ComplexBF.div(), ComplexBF.mul(), ComplexBF.sub()

### ComplexBF.acos()

---

Return the arc cosine of the ComplexBF number

### Synopsis

ComplexBF.acos(a)

### Returns

Return the arc cosine of the ComplexBF number.

### Example

```
var z = new ComplexBF( 3, 4 );
ComplexBF.acos(z)            // result (0.9368124611557193-i2.3055090312434685)
```

### See Also

ComplexBF.asin(), ComplexBF.atan()

### ComplexBF.acosh()

---

Return the arc cosine hyperbolic of the ComplexBF number

**Synopsis**

ComplexBF.acosh(a)

**Returns**

Return the arc cosine hyperbolic of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.acosh(z) // result (2.305509031243477+i0.9368124611557199)
```

**See Also**

ComplexBF.asinh(), ComplexBF.atanh()

**ComplexBF.asin()**

---

Return the arcsine of the ComplexBF number

**Synopsis**

ComplexBF.asin(a)

**Returns**

Return the arc sine of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.asin(z) // result (0.6339838656391773+i2.3055090312434685)
```

**See Also**

ComplexBF.acos(), ComplexBF.atan()

**ComplexBF.asinh()**

---

Return the arc sine hyperbolic of the ComplexBF number

**Synopsis**

ComplexBF.asinh(a)

**Returns**

Return the arc sine hyperbolic of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.asinh(z) // result (2.2999140408792695+i0.9176168533514787)
```

**See Also**

[ComplexBF.acosh\(\)](#), [ComplexBF.atanh\(\)](#)

---

**ComplexBF.atan()**

Return the arctangent of the ComplexBF number

**Synopsis**

ComplexBF.atan(a)

**Returns**

Return the arc tangent of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.atan(z) // result (1.4483069952314644+i0.15899719167999904)
```

**See Also**

[ComplexBF.acos\(\)](#), [ComplexBF.asin\(\)](#)

**ComplexBF.atanh()**

Return the arc tangent hyperbolic of the ComplexBF number

**Synopsis**

ComplexBF.atanh(a)

**Returns**

Return the arc tanh hyperbolic of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.atanh(z) // result (0.11750090731143381+i1.4099210495965755)
```

**See Also**

ComplexBF.acosh(), ComplexBF.asinh()

**ComplexBF.beta()**

---

Return the beta function of the ComplexBF numbers

**Synopsis**

ComplexBF.beta(x,y)

**Returns**

Return the beta function of the ComplexBF number a and b.

**Example**

```
var x=new ComplexBF( 3, 4 ), y=ComplexBF(2,-3);  
ComplexBF.beta(x,y) // result (0.000594954...,0.000791355...)
```

**See Also**

ComplexBF.gamma(), ComplexBF.lgamma()

**ComplexBF.cos()**

---

Return the cosine of the ComplexBF number

**Synopsis**

ComplexBF.cos(a)

**Returns**

Return the cosine of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );
```

```
ComplexBF.cos(z) // result (-27.034945603074224-i3.851153334811777)
```

**See Also**

ComplexBF.sin(), ComplexBF.tan()

**ComplexBF.cosh()**

---

Return the cosine hyperbolic of the ComplexBF number

**Synopsis**

```
ComplexBF.cosh(a)
```

**Returns**

Return the cosine hyperbolic of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.cosh(z) // result (-6.580663040551157-i7.581552742746545)
```

**See Also**

ComplexBF.sinh(), ComplexBF.tanh()

**ComplexBF.conj()**

---

Return the conjugated form of the ComplexBF number

**Synopsis**

```
ComplexBF object.conj()
```

**Returns**

Return the ComplexBF conjugated form.

**Example**

```
var z = new ComplexBF( 3, 4 );  
z.conj() // result (3-i4)
```

**See Also**



ComplexBF.negate()

### **ComplexBF.div()**

---

Divide two ComplexBF numbers

#### **Synopsis**

ComplexBF.div(a,b)

#### **Arguments**

*a,b*            The ComplexBF numbers to be divided. Special calculation are made to prevent intermediate result to overflow.

#### **Returns**

The result of the ComplexBF division  $a/b$ .

#### **Example**

```
var z = new ComplexBF( 3, 4 );  
var y=new ComplexBF(1,2);  
  
ComplexBF.div(z,y)            // result (2.2+i0.4)
```

#### **See Also**

ComplexBF.add(), ComplexBF.mul(), ComplexBF.sub()

### **ComplexBF.equal()**

---

Compare two ComplexBF numbers for equality

#### **Synopsis**

ComplexBF.equal(a,b)

#### **Arguments**

*a,b*            The ComplexBF numbers to be compare for

#### **Returns**

The Boolean value of the equal comparison.

**Example**

```

var z = new ComplexBF( 3, 4 );
var y=new ComplexBF(1,2);

if( ComplexBF.equal(z,y)...           // result false
if( ComplexBF.equal(z,z)...           // result true
if( !ComplexBF.equal(z,y)...         // result true ! to do "notequal" comparison

```

**See Also****ComplexBF.exp()**

---

Compute  $e^x$ **Synopsis**

ComplexBF.exp(x)

**Arguments** $x$  A ComplexBF numbers to be used as the exponent**Returns** $e^x$ ,  $e$  raised to the power of the specified exponent  $x$ , where  $e$  is the base of the natural logarithm, with a value of approximately 2.71828.**Example**

```

var z = new ComplexBF( 3, 4 );

ComplexBF.exp(z)...           // ez approximately (-13.128+i5.200)

```

**See Also**

ComplexBF.log(), ComplexBF.log10(), ComplexBF.pow()

**ComplexBF.gamma()**

---

Return the gamma function of the ComplexBF number

**Synopsis**

ComplexBF.gamma(x)

**Returns**

Return the gamma function of the ComplexBF number x.

**Example**

```
var x=new ComplexBF( 3, 4 );  
ComplexBF.gamma(x)           // result (0.00522553...,0.1725470...)
```

**See Also**

ComplexBF.lgamma(), ComplexBF.beta()

**ComplexBF.i**

---

Return ComplexBF i

**Synopsis**

ComplexBF.i

**Returns**

The ComplexBF constant i (0+i1).

**Example**

```
var z = ComplexBF.i;         // z=(0+i1)
```

**See Also**

ComplexBF.one, ComplexBF.zero

---

**ComplexBF.imag()**

---

Return the imaginary part of the ComplexBF number

**Synopsis**

*ComplexBF object*.imag()

**Returns**

Return the imaginary part of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
z.imag()           // result 4
```

**See Also**

ComplexBF.real()

**ComplexBF.lgamma()**

---

Return the logarithm gamma function of the ComplexBF number

**Synopsis**

ComplexBF.lgamma(x)

**Returns**

Return the logarithm gamma function of the ComplexBF number x.

**Example**

```
var x=new ComplexBF( 3, 4 );  
ComplexBF.lgamma(x)           // result (-1.756626...,4.742664...)
```

**See Also**

ComplexBF.gamma(), ComplexBF.beta()

**ComplexBF.log()**

---

Compute the natural logarithm of x

**Synopsis**

ComplexBF.log(x)

**Arguments**

*x*            A ComplexBF numbers not equal to zero

**Returns**

Return  $\log(x)$

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.log(z)...           // log(x) approximately (1.609+i0.927)
```

**See Also**

ComplexBF.exp(), ComplexBF.log10(),

**ComplexBF.log10()**

---

Compute the base-10 logarithm of  $x$

**Synopsis**

ComplexBF.log10(x)

**Arguments**

$x$             A ComplexBF numbers not equal to zero

**Returns**

Return  $\log_{10}(x)$

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.log10(z)...           // log10(3+i4) approximately (0.699+i0.403)
```

**See Also**

ComplexBF.exp(), ComplexBF.log(),

**ComplexBF.mul()**

---

Multiply two ComplexBF numbers

**Synopsis**

ComplexBF.mul(a,b)

### Arguments

*a,b*            The ComplexBF numbers to be multiplied.

### Returns

The result of the ComplexBF multiplication.

### Example

```
var z = new ComplexBF( 3, 4 );
var y=new ComplexBF(1,2);

ComplexBF.mul(z,y)            // result (-5+i10)
```

### See Also

ComplexBF.add(), ComplexBF.div(), ComplexBF.sub()

### **ComplexBF.negate()**

---

Return the negated ComplexBF number

### Synopsis

*ComplexBF object*.negate()

### Returns

Return the negated ComplexBF number.

### Example

```
var z = new ComplexBF( 3, 4 );
z.negate()                    // result (-3-i4)
```

### See Also

ComplexBF.conj()

### **ComplexBF.norm()**

---

Return the norm (square magnitude) of the ComplexBF number

**Synopsis**

*ComplexBF object*.norm()

**Returns**

The norm (squared magnitude) of the ComplexBF number is returned.

**Example**

```
var z = new ComplexBF( 3, 4 );  
z.norm()           // result 25
```

**See Also**

ComplexBF.abs()

**ComplexBF.one**

---

Return ComplexBF one

**Synopsis**

ComplexBF.one

**Returns**

The ComplexBF constant one (1+i0).

**Example**

```
var z = ComplexBF.one;           // z=(1+i0)
```

**See Also**

ComplexBF.zero, ComplexBF.i

**ComplexBF.polar()**

---

Convert polar coordinates into a ComplexBF number

**Synopsis**

ComplexBF.polar(mag,arg)

**Arguments**

*mag*            Magnitude of ComplexBF number  
*arg*            Angle of ComplexBF number.

**Returns**

Return the ComplexBF number.

**Example**

```
var z = ComplexBF.polar( 4, 0.5 );  
ComplexBF.polar(4,0.5)            // result (3.510+i1.918)
```

**See Also****ComplexBF.pow()**

---

Compute  $x^y$

**Synopsis**

ComplexBF.pow(x,y)

**Arguments**

*x*            A ComplexBF numbers to be raised to a power  
*y*            A ComplexBF power that x is raised to

**Returns**

X to the power of y.  $x^y$

**Example**

```
var x = new ComplexBF( 3, 4 );  
var y = new ComplexBF( 1 , 2 )  
ComplexBF.pow(x,y)...            // xy approximately (-0.4198+i0.6605)
```

**See Also**

ComplexBF.exp()



**ComplexBF.real()**

---

Return the real part of the ComplexBF number

**Synopsis**

*ComplexBF object*.real()

**Returns**

Return the real part of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
z.real()           // result 3
```

**See Also**

ComplexBF.imag()

**ComplexBF.sin()**

---

Return the sine of the ComplexBF number

**Synopsis**

ComplexBF.sin(a)

**Returns**

Return the sine of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.sin(z)           // result (3.853738037919377-i27.016813258003932)
```

**See Also**

ComplexBF.cos(), ComplexBF.tan()

**ComplexBF.sinh()**

---

Return the sine hyperbolic of the ComplexBF number

**Synopsis**

ComplexBF.sinh(a)

**Returns**

Return the sine hyperbolic of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.sinh(z)           // result (-6.580663040551157-i7.581552742746545)
```

**See Also**

ComplexBF.cosh(), ComplexBF.tanh()

**ComplexBF.sub()**

---

Subtract two ComplexBF numbers

**Synopsis**

ComplexBF.sub(a,b)

**Arguments**

*a,b*            The ComplexBF numbers to be subtracted.

**Returns**

The result of the ComplexBF subtraction.

**Example**

```
var z = new ComplexBF( 3, 4 );  
var y=new ComplexBF(1,2);  
  
ComplexBF.sub(z,y)           // result (2+i2)
```

**See Also**

ComplexBF.add(), ComplexBF.div(), ComplexBF.mul()

**ComplexBF.sqrt()**

---

Compute a ComplexBF square root

**Synopsis**

ComplexBF.sqrt(x)

**Arguments**

*x*            A ComplexBF numbers to be square rooted. Special calculation are made to prevent intermediate result to overflow.

**Returns**

The square root of *x*.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.sqrt(z)...        // Result (2+i1)
```

**See Also****ComplexBF.tan()**

---

Return the tangent of the ComplexBF number

**Synopsis**

ComplexBF.tan(a)

**Returns**

Return the tangent of the ComplexBF number.

**Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.tan(z)    // result (-0.00018734620462947842+i0.9993559873814732)
```

**See Also**

ComplexBF.cos(), ComplexBF.sin()

### **ComplexBF.tanh()**

---

Return the tangent hyperbolic of the ComplexBF number

#### **Synopsis**

```
ComplexBF.tanh(a)
```

#### **Returns**

Return the tanh hyperbolic of the ComplexBF number.

#### **Example**

```
var z = new ComplexBF( 3, 4 );  
ComplexBF.tanh(z)           // result (-6.580663040551157-i7.581552742746545)
```

#### **See Also**

ComplexBF.cosh(), ComplexBF.sinh()

### **ComplexBF.toExponential()**

---

Format a number using exponential notation

#### **Synopsis**

```
ComplexBF.toExponential(digits)
```

#### **Arguments**

*Digits*      The number of digits that will appear after the decimal point. This may be a value between 0 and 20, inclusive. If this argument is omitted, as many digits as necessary will be used. A ComplexBF number is always formatted as:

*(real\_part ±i imaginary\_part)*

#### **Returns**

A string representations of the ComplexBF number, in exponential notation, with one digit before the decimal place and *digits* digits after the decimal place. The fractional part of the ComplexBF number is rounded, or padded with zeros, as necessary, so that it has the specified length.

#### **Example**

```
var z = new ComplexBF( 12345.6789, 12345.6789 );
z.toExponential(1);      // result (1.2e+4+i1.2e+4)
z.toExponential(5);     // result (1.23457e+4+i1.23457e+4)
z.toExponential(10);    // result (1.23456789000e+4+i1.23456789000e+4)
z.toExponential();      // result (1.23456789e+4+i1.23456789e+4)
```

### See Also

ComplexBF.toFixed(), ComplexBF.toPrecision(), ComplexBF.toString()

### **ComplexBF.toFixed()**

---

Format a number using fixed-point notation

### Synopsis

*ComplexBF*.toFixed(digits)

### Arguments

*Digits*        The number of digits that will appear after the decimal point. This may be a value between 0 and 20, inclusive. If this argument is omitted, it is treated as zero. A ComplexBF number is always formatted as:  
(*real\_part* ±i *imaginary\_part*)

### Returns

A string representations of the ComplexBF number, that does not used exponential notation and has exactly *digits* digits after the decimal point. The *ComplexBF number* is rounded as necessary, and the fraction part is padded with zeros if necessary so that it has the specified length. If the *ComplexBF number* is greater than 1e+21, this method simple calls *number.toString()* and return a string in exponential notation.

### Example

```
var z = new ComplexBF( 12345.6789, 12345.6789 );
z.toFixed(5);          // result (12345.7+i12345.7)
z.toFixed(6);          // result (12345.678900+i12345.678900)
z.toFixed();           // result (12346+i1234.6)
```

### See Also

ComplexBF.toExponential(), ComplexBF.toPrecision(), ComplexBF.toString()

### **ComplexBF.toPrecision()**

---

Format the significant digits of a ComplexBF number

#### **Synopsis**

*ComplexBF*.toPrecision(digits)

#### **Arguments**

*Digits*        The number of significant digits to appear in the returned string. This may be a value between 1 and 21, inclusive. If this argument is omitted, the toString() method is used instead to convert the ComplexBF number to a base-10 value. A ComplexBF number is always formatted as:  
 $(real\_part \pm i\ imaginary\_part)$

#### **Returns**

A string representations of the *ComplexBF* number, that contains *precision* significant digits. If *precision* is large enough to include all the digits of the integer part of number, the returned string uses fixed-point notation. Otherwise exponential notation is used with one digit before the decimal place and *precision* - 1 digits after the decimal place. The number is rounded or padded with zeros as necessary.

#### **Example**

```
var z = new ComplexBF( 12345.6789, 12345.6789 );
z.toPrecision(1);                // result (1e+4+i1e+4)
z.toPrecision(3);                // result (1.23e+4+i1.2e+4)
z.toPrecision(5);                // result (12346+i12346)
```

#### **See Also**

ComplexBF.toExponential(), ComplexBF.toFixed(), ComplexBF.toString()

### **ComplexBF.toString()**

---

Format the significant digits of a ComplexBF number

#### **Synopsis**

*ComplexBF*.toString(radix)

#### **Arguments**

*Radix*        If omitted the base 10 will be used to convert the ComplexBF number to a string. Otherwise the radix will be used (2..36). A ComplexBF number is always formatted as:

$(real\_part \pm i imaginary\_part)$

### Returns

A string representations of the *ComplexBF number*, in the indicated radix.

### Example

```
var z = new ComplexBF( 12345.6789, 12345.6789 );
z.toString();           // result (1234.6789+i1234.6789)
```

### See Also

ComplexBF.toExponential(), ComplexBF.toFixed(), ComplexBF.toPrecision()

---

### ComplexBF.valueOf()

Return the primitive number value

### Synopsis

*ComplexBF object*.valueOf()

### Returns

The primitive value of the *ComplexBF number* is returned, which is the same as *ComplexBF number*.real().

### Example

```
var z = new ComplexBF( 3, 4 );
z.valueOf()           // return 3
```

### See Also

---

### ComplexBF.zero

Return ComplexBF zero

### Synopsis

ComplexBF.zero

### Returns

The ComplexBF constant zero (0+i0).

**Example**

```
var z = ComplexBF.zero;
```

**See Also**

ComplexBF.one, ComplexBF.i



**parseComplexBF()**

---

Convert a string to a ComplexBF number

**Synopsis**

*parseComplexBF(s)*

**Arguments**

*s*                    The string to be parsed and converted to a *ComplexBF* number.

**Returns**

*parseComplexBF()* parses and return a new ComplexBF number contained in *s*.  
*parseComplexBF()* return a ComplexBF NaN number if parsing fails. A ComplexBF number can either be in the format:

*(real\_part ±i imaginary\_part)*

Where either the *real\_part* or the *imaginary\_part* can be missing but not both at the same time. *parseComplexBF()* can also parsed string omitting the leading and trailing parentheses.

**Example**

```
var z = parseComplexBF(“(1.2 -i 3.4E-5)”);            // result (1.2-i3.4E-5)
z = parseComplexBF(“(1.2)”);                        // result (1.2 +i0)
z = parseComplexBF(“( -i1.2)”);                    // result (0 -i1.2)
```

**See Also**